Solutions and Applications Manual

Econometric Analysis

Sixth Edition

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Contents and Notation

This book presents solutions to the end of chapter exercises and applications in Econometric Analysis. There are no exercises in the text for Appendices A - E. For the instructor or student who is interested in exercises for this material, I have included a number of them, with solutions, in this book. The various computations in the solutions and exercises are done with the *NLOGIT* Version 4.0 computer package (Econometric Software, Inc., Plainview New York, <u>www.nlogit.com</u>). In order to control the length of this document, only the solutions and not the questions from the exercises and applications are shown here. In some cases, the numerical solutions for the in text examples shown here differ slightly from the values given in the text. This occurs because in general, the derivative computations in the text are done using the digits shown in the text, which are rounded to a few digits, while the results shown here are based on internal computations by the computer that use all digits.

| Chapter 1 | Introduction 1 |
|------------|---|
| Chapter 2 | The Classical Multiple Linear Regression Model 2 |
| Chapter 3 | Least Squares 3 |
| Chapter 4 | Statisticsl Properties of the Least Squares Estimator 10 |
| Chapter 5 | Inference and Prediction 19 |
| Chapter 6 | Functional Form and Structural Change 30 |
| Chapter 7 | Specification Analysis and Model Selection 40 |
| Chapter 8 | The Generalized Regression Model and Heteroscedasticity 44 |
| Chapter 9 | Models for Panel Data 54 |
| Chapter 10 | Systems of Regression Equations 67 |
| Chapter 11 | Nonlinear Regressions and Nonlinear Least Squares 80 |
| Chapter 12 | Instrumental Variables Estimation 85 |
| Chapter 13 | Simultaneous-Equations Models 90 |
| Chapter 14 | Estimation Frameworks in Econometrics 97 |
| Chapter 15 | Minimum Distance Estimation and The Generalized Method of Moments 102 |
| Chapter 16 | Maximum Likelihood 105 |
| Chapter 17 | Simulation Based Estimation and Inference 117 |
| Chapter 18 | Bayesian Inference in Econometrics 120 |
| Chapter 19 | Serial Correlation 122 |
| Chapter 20 | Models with Lagged Variables 128 |
| Chapter 21 | Time-Series Models 131 |
| Chapter 22 | Nonstationary Data 132 |
| Chapter 23 | Models for Discrete Choice 136 |
| Chapter 24 | Truncation, Censoring and Sample Selection 142 |
| Chapter 25 | Event Counts and Duration Models 147 |
| Appendix A | Matrix Algebra 155 |
| Appendix B | Probability and Distribution Theory 162 |
| Appendix C | Estimation and Inference 172 |
| Appendix D | Large Sample Distribution Theory 183 |

Appendix E Computation and Optimization 184

In the solutions, we denote:

- scalar values with italic, lower case letters, as in *a*,
- column vectors with boldface lower case letters, as in **b**,
- row vectors as transposed column vectors, as in b',
- \bullet matrices with boldface upper case letters, as in M or $\Sigma,$
- single population parameters with Greek letters, as in θ ,
- \bullet sample estimates of parameters with Roman letters, as in b as an estimate of $\beta,$
- sample estimates of population parameters with a caret, as in $\hat{\alpha}$ or $\hat{\beta}$,
- cross section observations with subscript *i*, as in *y_i*, time series observations with subscript *t*, as in *z_t* and panel data observations with *x_{it}* or *x_{i,t-1}* when the comma is needed to remove ambiguity. Observations that are vectors are denoted likewise, for example, **x**_{it} to denote a column vector of observations.

These are consistent with the notation used in the text.