

Chapter 14

14-1

The optimal cash balance using the Baumol model is $\sqrt{\frac{2(500)100}{.06}} = \1291 million.

If selling securities were costless and without any lag, then the firm should hold all of its cash in the form of interest-bearing securities and simply sell them whenever cash was required.

14-2

- Optimal Balance using Baumol Model = \$204,124
- If the firm were able to earn 3% on cash, the annual interest rate can be lowered to 9%.
Optimal Balance using Baumol Model = \$235,702

14-3

If interest rates increase, I would expect the cost of holding non-interest bearing cash to increase leading to a drop in optimal cash balances.

14-4

Optimal Cash Balance = \$100 million
Opportunity cost = 10%
Cost per transaction = \$125
Annual Cash Usage Rate = \$400 million
Weekly Cash Usage Rate = \$7.69 million

14-5

- Spread between upper and lower cash limits = \$120,498
- The average cash balance will be between \$60,249 : half of \$120,498
- If there is a safety balance of \$50,000,
Upper Limit = \$50,000 + \$120,498 = \$170,498
Average Balance will increase to \$110,249

14-6

If the standard deviation doubled:
New Spread between upper and lower cash limits = \$191,279
The firm will need much more of a cash cushion if there is variability in cash usage.

14-7

- The initial outlay is $(0.02)250 = \$5$. One year from now, the incremental outlay will be $(.02)(250)(.06) = 0.3$; the present value of the yearly incremental outlays is $0.3/ (.12 - .06) = \$5$. The total decrease in value is $\$5 + \$5 = \$10$ less any value that the firm might obtain from having the cash balances.
- If it is able to reduce its cash balance to 1% of revenues, the immediate decrease in the cash balance would be $(0.01)(250) = \$2.50$; the incremental outlay one year from now will

be $(.01)(250)(.06) = 0.15$, for a present value of $0.15/ (.12-.06) = \$2.5$; hence firm value will jump by \$5 million.

c. If the reduced cash balance makes the firm riskier, then the value of the firm would jump by less by \$10 million, and it might even decrease. This is because, first, the present value of the annual savings would be lower; and second, the present value of the other operating cashflows, themselves, would be lower due to the higher discount rate.

14-8

a. Processing float = $\$5 (4) = \20 million

b. Disbursement or payment float = $\$4 (5) = \20 million

c. Net Float = 0

d. If the number of days it takes to clear checks is reduced to three,
Processing Float = $\$5 (3) = \15 million

Net Float = $\$20$ million - $\$15$ million = $\$5$ million.

e. The value of the firm will also increase by \$5 million.

14-9

a. The annualized returns are:

i) 6-month T-bill: The price of a T-bill with a face value of \$100 is $100(1-.056/2) = 97.2$; hence the annualized return is $(100/97.2)^2$ or 5.844%

ii) commercial paper: $(1.0298)^2 - 1$ or 6.0488

iii) repo agreement: $(1.0292)^2 - 1$ or 5.9253%

b. There is least risk in the T-bill; the commercial paper is riskiest because it is issued by private corporations with a non-negligible default risk. The repo agreement has better security but there is still the possibility of default. The returns on the three securities are consistent with their different riskinesses.

c. I would check to see if any of these were misvalued; if so, I would buy that security. Assuming that all of these securities were properly priced, I would look at the cost of converting them into cash. As a corporate treasurer, this is probably what is most important for me.

14-10

a. The value of the noncash assets is $(5000)(0.2)/[.06+1.2(.055)] = \7936.51 million.

b. The value of the cash assets is simply \$1 billion. Hence the firm value is \$8.93651 billion.

c. The firm's accounting return on equity would be $[5000(20) + 1000(6)]/6000 = 17.67\%$. Paying a dividend of \$500 million would increase the return on equity to $[5000(20) + 500(6)]/5500 = 18.727\%$. The value of the firm would decrease, after the dividend payment by \$0.5 billion.

d. Stockholder wealth would be unaffected.

14-11

If Chimera invests its cash at 3%, then the value of its cash assets would be $\$1(.03)/(.06) = \0.5 billion. The value of the firm would be $7.936 + 0.5 = \$8.436$ billion.

The firm's accounting return on equity would be $[5000(20) + 1000(3)]/6000 = 17.167\%$ before the dividend payment, and $[5000(20) + 500(3)]/5500 = 18.4545\%$ after the dividend payment. The value of the firm would decrease by only 0.25 billion, even though \$0.5 billion would have been paid out.

14-12

The market value of Seven Seas is $\$10000(0.15)(1.05)/(.12-.05) = \$22,500$ million. Even if the fund didn't grow at all, its current market value would be $10000(0.15)/.12 = \$12.5$ billion; however, in addition to this, it expects to grow 5%.

14-13

- a. Intel is paying a premium of $1.5/[(0.2)(5)] - 1$ or 50% for its 20% stake.
- b. Let x be the after-tax cashflow that Intel will earn on its invested \$1.5 billion. The net present value of the cashflows would be $x[1-1.12^{-5}]/.12 = 0.5$ billion. The after-tax cash flow (x) would have to be \$138.70 million a year.

14-14

If the fund managers constantly earn a return that is less than what they are expected to make (negative excess returns), the market value of \$25 billion in stockholdings could be less than \$25 billion.