



Valuation: Lecture Note Packet 1

Intrinsic Valuation

Aswath Damodaran

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The essence of intrinsic value

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- In intrinsic valuation, you value an asset based upon its fundamentals (or intrinsic characteristics).
- For cash flow generating assets, the intrinsic value will be a function of the magnitude of the expected cash flows on the asset over its lifetime and the uncertainty about receiving those cash flows.
 - Discounted cash flow (DCF) valuation is a tool for estimating intrinsic value, where the expected value of an asset is written as the present value of the expected cash flows on the asset, with either the cash flows or the discount rate adjusted to reflect the risk.
 - Intrinsic valuation models predate the modern DCF model, since investors through the ages have found ways to weight in expected cash flows into value.

The two faces of discounted cash flow valuation

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- The value of a risky asset can be estimated by discounting the expected cash flows on the asset over its life at a risk-adjusted discount rate:

$$\text{Value of asset} = \frac{E(\text{CF}_1)}{(1+r)} + \frac{E(\text{CF}_2)}{(1+r)^2} + \frac{E(\text{CF}_3)}{(1+r)^3} \dots + \frac{E(\text{CF}_n)}{(1+r)^n}$$

where the asset has an n-year life, $E(\text{CF}_t)$ is the expected cash flow in period t and r is a discount rate that reflects the risk of the cash flows.

- Alternatively, we can replace the expected cash flows with the guaranteed cash flows we would have accepted as an alternative (certainty equivalents) and discount these at the riskfree rate:

$$\text{Value of asset} = \frac{\text{CE}(\text{CF}_1)}{(1+r_f)} + \frac{\text{CE}(\text{CF}_2)}{(1+r_f)^2} + \frac{\text{CE}(\text{CF}_3)}{(1+r_f)^3} \dots + \frac{\text{CE}(\text{CF}_n)}{(1+r_f)^n}$$

where $\text{CE}(\text{CF}_t)$ is the certainty equivalent of $E(\text{CF}_t)$ and r_f is the riskfree rate.

Risk Adjusted Value: Two Basic Propositions

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- The value of an asset is the risk-adjusted present value of the cash flows:

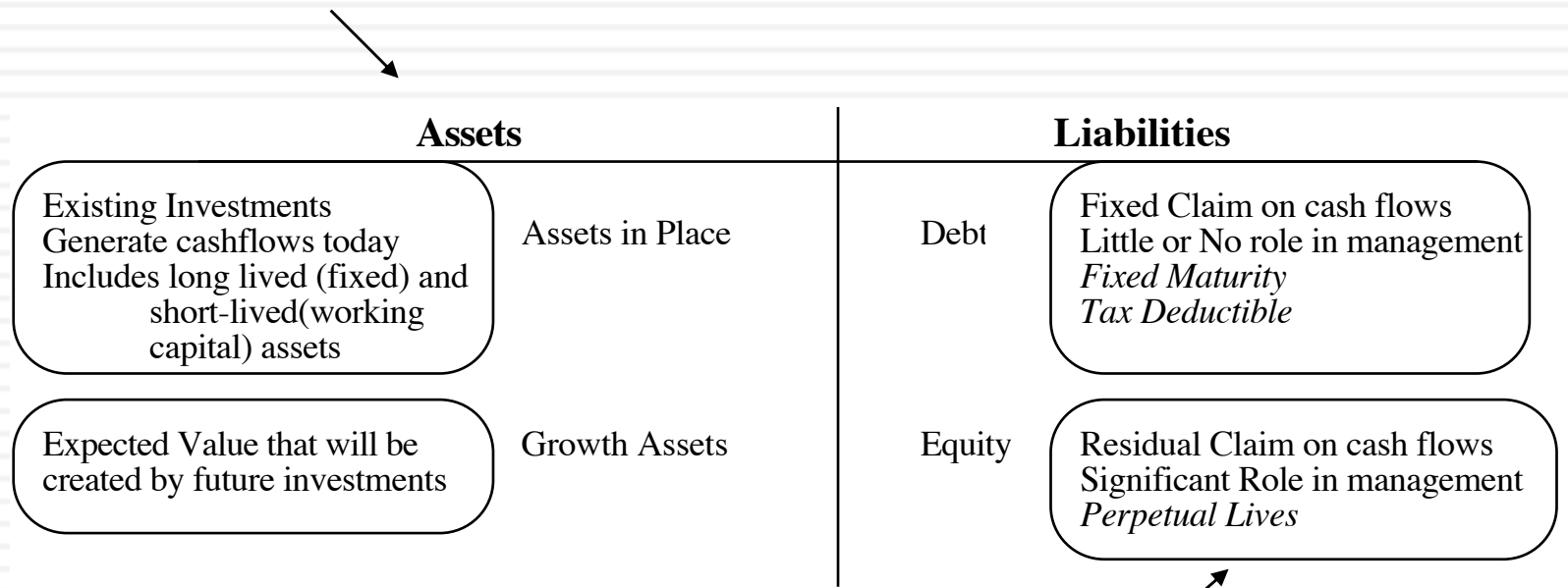
$$\text{Value of asset} = \frac{E(\text{CF}_1)}{(1+r)} + \frac{E(\text{CF}_2)}{(1+r)^2} + \frac{E(\text{CF}_3)}{(1+r)^3} \dots + \frac{E(\text{CF}_n)}{(1+r)^n}$$

1. The “IT” proposition: If IT does not affect the expected cash flows or the riskiness of the cash flows, IT cannot affect value.
2. The “DON’T BE A WUSS” proposition: Valuation requires that you make estimates of expected cash flows in the future, not that you be right about those cashflows. So, uncertainty is not an excuse for not making estimates.
3. The “DUH” proposition: For an asset to have value, the expected cash flows have to be positive some time over the life of the asset.
4. The “DON’T FREAK OUT” proposition: Assets that generate cash flows early in their life will be worth more than assets that generate cash flows later; the latter may however have greater growth and higher cash flows to compensate.

DCF Choices: Equity Valuation versus Firm Valuation

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Firm Valuation: Value the entire business

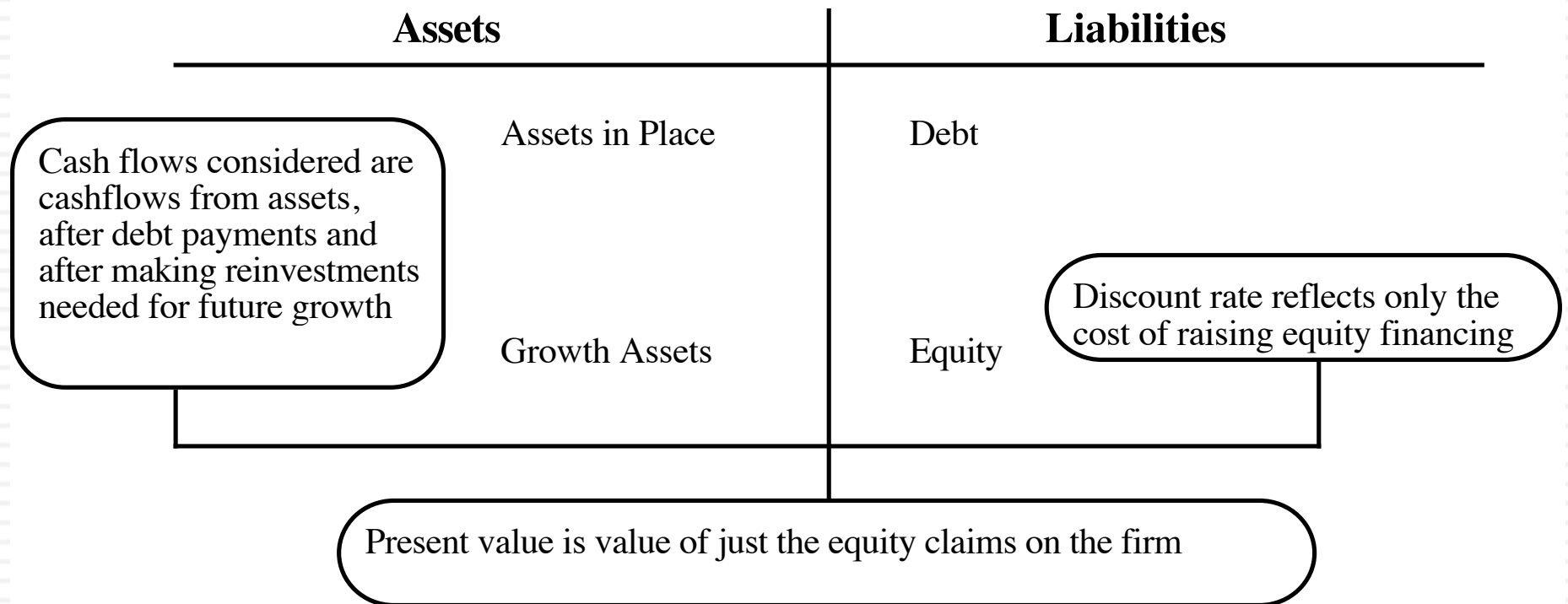


Equity valuation: Value just the equity claim in the business

1. Equity Valuation

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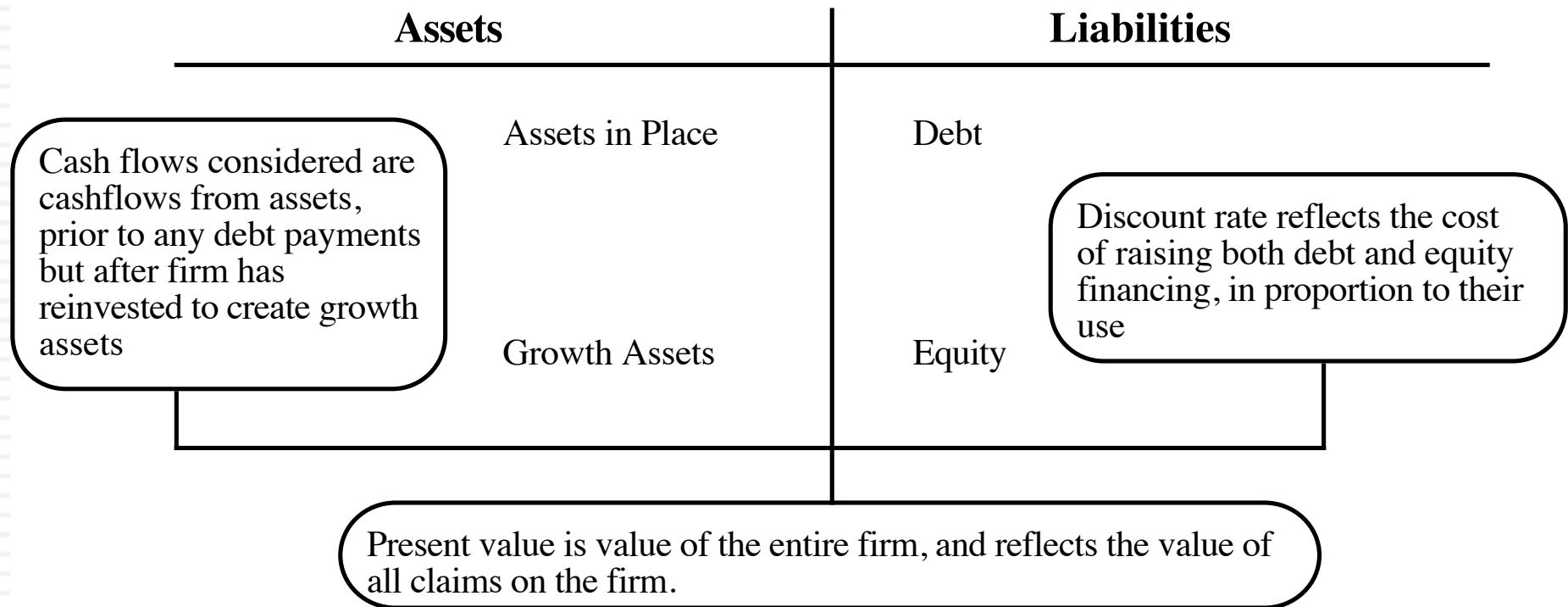
Figure 5.5: Equity Valuation



2. Firm or Business Valuation

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Figure 5.6: Firm Valuation



Firm Value and Equity Value

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- To get from firm value to equity value, which of the following would you need to do?
 - a. Subtract out the value of long-term debt
 - b. Subtract out the value of all debt
 - c. Subtract the value of any debt that was included in the cost of capital calculation
 - d. Subtract out the value of all liabilities in the firm
- Doing so, will give you a value for the equity which is
 - a. greater than the value you would have got in an equity valuation
 - b. lesser than the value you would have got in an equity valuation
 - c. equal to the value you would have got in an equity valuation